

# **FlightPath: Obedience vs. Choice in Cooperative Services**

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# Problems in P2P System

- Byzantine Peers

They want to disrupt the service.

- Selfish Peers

They may use the service without contributing their fair share.

# Existing Work

- Works that use incentives information to argue that **rational peers will obey a protocol**, like KaZaA and BitTorrent.
  - Drawbacks: Some users may gain better service quality when cheating
- Works emphasizes rigor by using **game theory** (like Nash equilibrium) to design a protocol's incentives and punishments.
  - Drawbacks: Do not allow dynamic membership, waste network bandwidth to send garbage data

# This Work: FlightPath

- High Quality Streaming
  - Good Service to Every Peer
- Broad Deplorability
  - Peak Upload Bandwidth is limited to ADSL Bandwidth
- Rational-tolerant
  - 1/10-Nash Equilibrium
- Byzantine-tolerant
  - Works well when 10% of peers act maliciously
- Churn-resilient
  - Has good performance when 30% peers churn every min

# Nash Equilibrium

$\forall x = (x_1, x_2, \dots, x_n) \in S = S_1 \times S_2 \times \dots \times S_n$  ( $S_i$  is a strategy set)

$\exists f = (f_1(x), f_2(x), \dots, f_n(x))$  is a payoff function of  $x$ .

*We can define a Nash Equilibrium Point  $x$  as*

$\exists x = (x_1, x_2, \dots, x_n)$  s. t.  $\forall i \forall x_i^* \neq x_i f_i(x_i^*) \geq f_i(x_i)$

*Also, we can define a  $\varepsilon$  – Nash Equilibrium Point  $x$  as*

$\exists x = (x_1, x_2, \dots, x_n)$  s. t.  $\forall i \forall x_i^* \neq x_i f_i(x_i^*) \geq (1 - \varepsilon)f_i(x_i)$

# Model: BAR Model

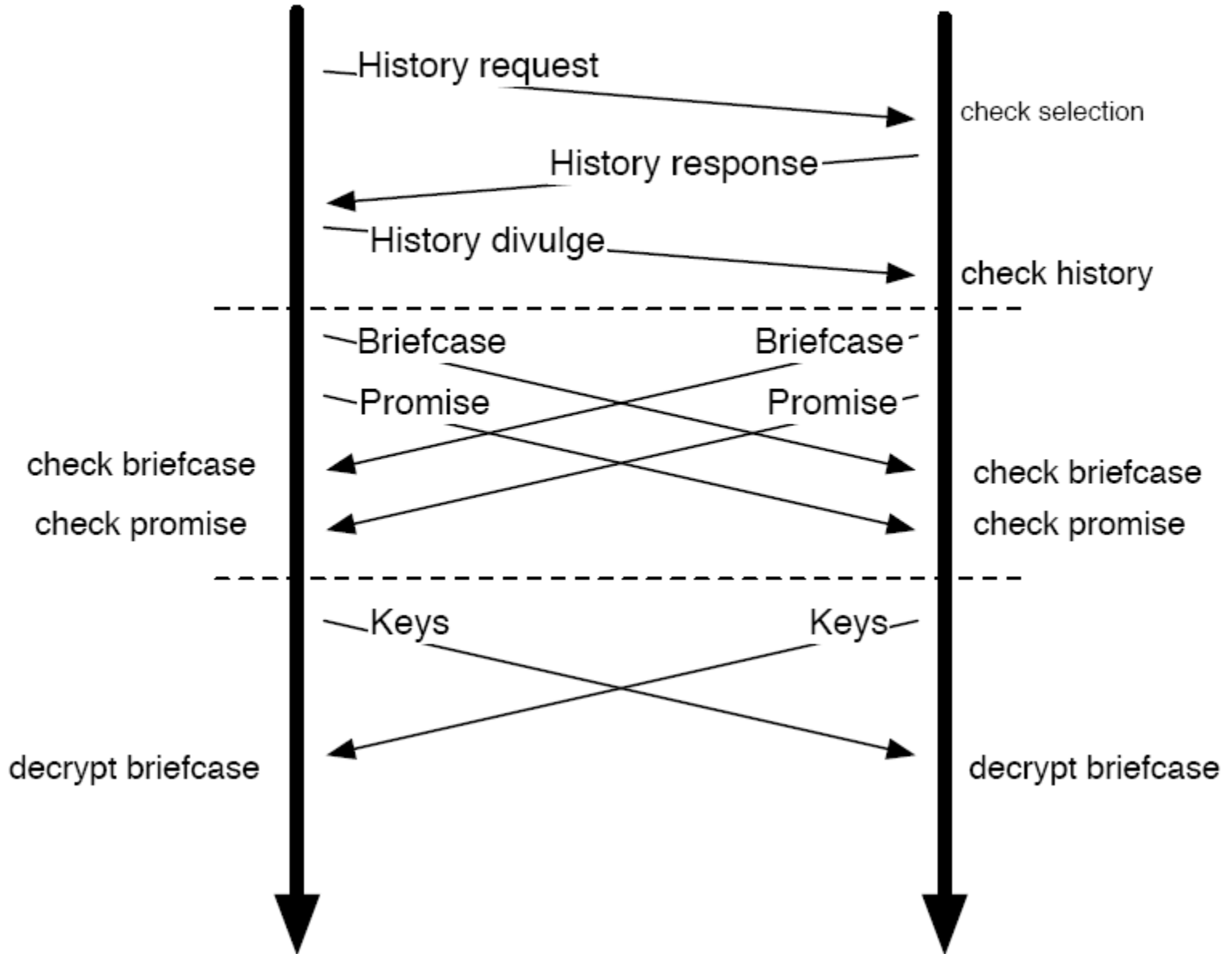
- Time is divided into rounds that are  $r_{len}$  seconds long.
- In each round, the source generates `num_ups` unique stream packets that expire after deadline round.
- All peers work together to distribute packages before deadline.

# How can One Node Work?

- We call one node's work during a round a trade.
- A trade has four phases.
  - Partner Selection
  - History Exchange
  - Update Exchange
  - Key Exchange

Client c

Client d





# Taming Gossip(How to improve previous approach)

- Reservations
- Splitting Need
- Erasure Codes
- Tail Inversion
- Imbalance Ratio
- Trouble Detector

# Reservations

- We partition  $n$  peers into  $\lfloor \log n \rfloor$  bins and require a peer to choose a partner from a verifiable pseudo randomly chosen bin.
- Within a bin, we restrict nodes that a peer can communicate based on its id. A peer can only communicate nodes that the hash of its id and the other's id is less than some  $p$ .

$$\left[1 - \left[1 - p(1 - F_{byz})\right]^{\frac{n}{\lceil \log n \rceil}}\right]^{\lceil \log n \rceil} \geq 1 - \frac{1}{n}$$

# Reservation Cont'd

- A node should make a reservation before it establish the connection.
- Peer d accepts a reservation only if it has not already accepted another reservation for the same round. Otherwise it rejects it.
- A node can indicate it has few options left in order to let others to accept it.

# Splitting Need

- A peer splits its need into several parts and sends its needs to different nodes.
- This approach can reduce the possibility that a node receive duplicate package.

# Erasure Codes

- **$n$  erasure code** transforms a message of  $n$  blocks into a message with more than  $n$  blocks, such that the original message can be recovered from a subset of those blocks.
- We use erasure code here in order to evade Byzantine participants which may receive tracker's packages but not distribute them.

# Tail Inversion

- A older package has a higher priority than new one.
- The reason is older one may be near the deadline.

# Imbalance Ratio

- Imbalance Ratio  $a$  means a node can download  $N$  traffic but only upload  $aN$  traffic.
- According to the authors,  $a = 10\%$  is a good tradeoff

# Trouble Detector

- A node which observe itself has a bad performance may initiate more than one trade during a round.



# Flexibility for Churn

- Epochs
  - An epoch is defined as  $e_{len}$  rounds. At the boundary between epochs  $e$  and  $e+1$ , the tracker shuffles membership list for epoch  $e+2$  so that new members can join in this P2P system.
- Tub Algorithm
  - We classify peers into tubs based on their come-in time.

# Tub Algorithm

- A node in a tub should obey the following three constraints.
  - Peer  $d$  is in  $c$ 's view only if  $d$  precedes  $c$  in the list.
  - If  $d$  is in tub  $t$  or  $t - 1$ , then  $d$  is in  $c$ 's view if the hash of concatenating  $c$ 's member id with  $d$ 's member id is less than  $p$ .
  - If  $d$  is in a tub  $t' < t - 1$ , then  $d$  is in  $c$ 's view if the hash of concatenating  $c$ 's member id and  $d$ 's member id is less than a parameter  $p$ .

# Equilibrium Analysis(1)

- We define  $u = (1 - j)\beta - wk$  as utility function.  
*j* is the average number of jitter events per minute  
 $\beta$  is the benefit from watching a jitter-free stream  
*w* is the average upload bandwidth used in Kbps  
 $\kappa$  is the cost per Kbps.

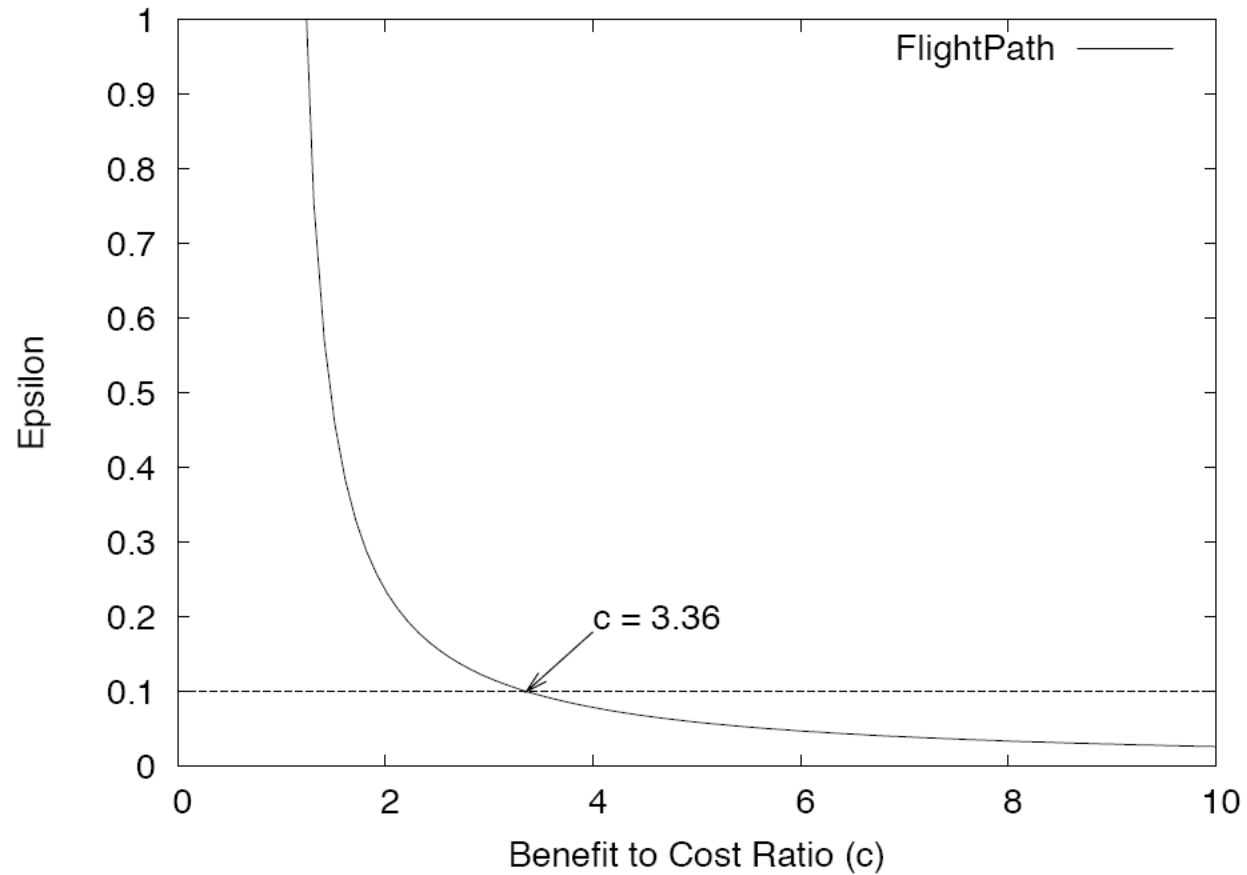
## Equilibrium Analysis(2)

$$\varepsilon = \frac{u_o - u_e}{u_e} = \frac{(j_e - j_o)\beta - (w_o - w_e)\kappa}{(1 - j_e)\beta - w_e\kappa}$$

$$\text{let } \frac{w_o}{w_e} = b, \frac{\beta(1 - j_e)}{w_e\kappa} = c, j_o = 0$$

$$\varepsilon = \frac{\frac{cj_e}{1 - j_e} + (1 - b)}{c - 1}$$

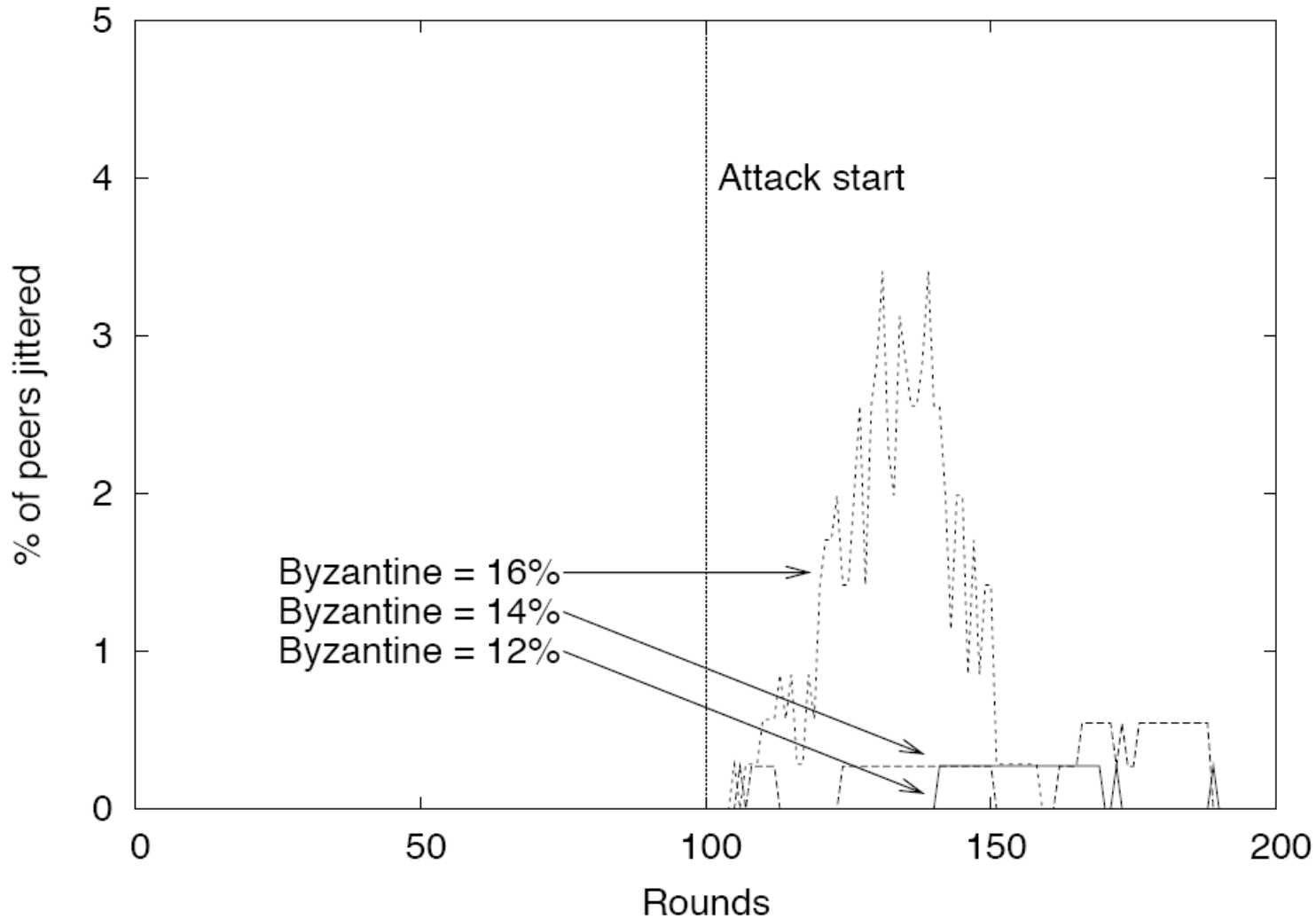
# Equilibrium Analysis(3)



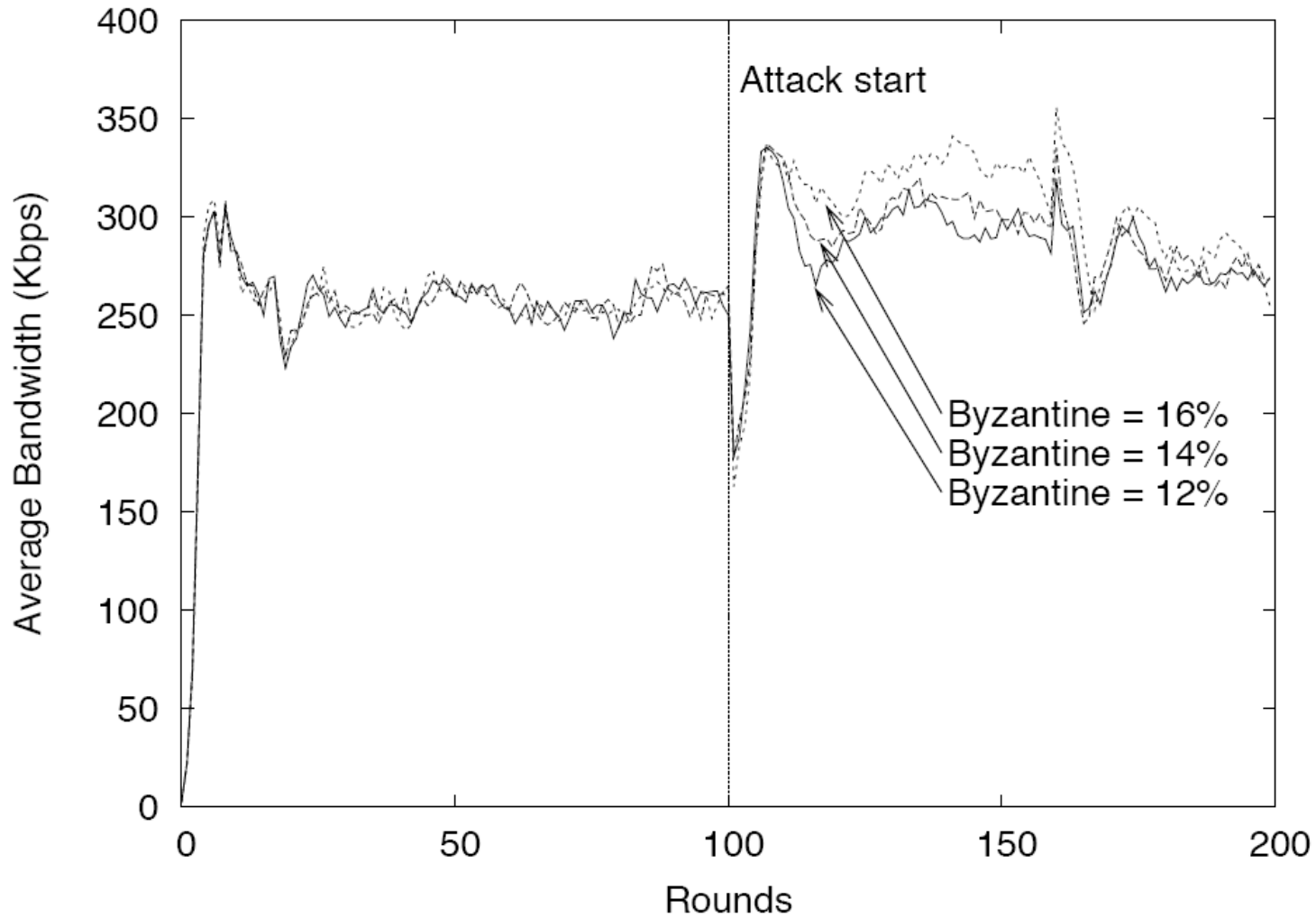
# Evaluation

- *Reduces jitter by several orders of magnitude compared to BAR Gossip*
- *Caps peak bandwidth usage to within the constraints of a cable or ADSL connection*
- *Maintains low jitter and efficiently uses bandwidth despite flash crowds*
- *Recovers quickly from sudden peer departures*
- *Continues to deliver a steady stream despite churn*
- *Tolerates up to 10% of peers acting maliciously(**Example**)*

# *Tolerates up to 10% of peers acting maliciously*



# *Tolerates up to 10% of peers acting maliciously*





# Summary

- Merits
  - Improvement on Previous Work
- Drawbacks
  - Its 1/10 Nash Equilibrium is based on some parameter's value. But it fails to prove that value is achievable. Also it fails to prove its utility function can represent users' motivation.